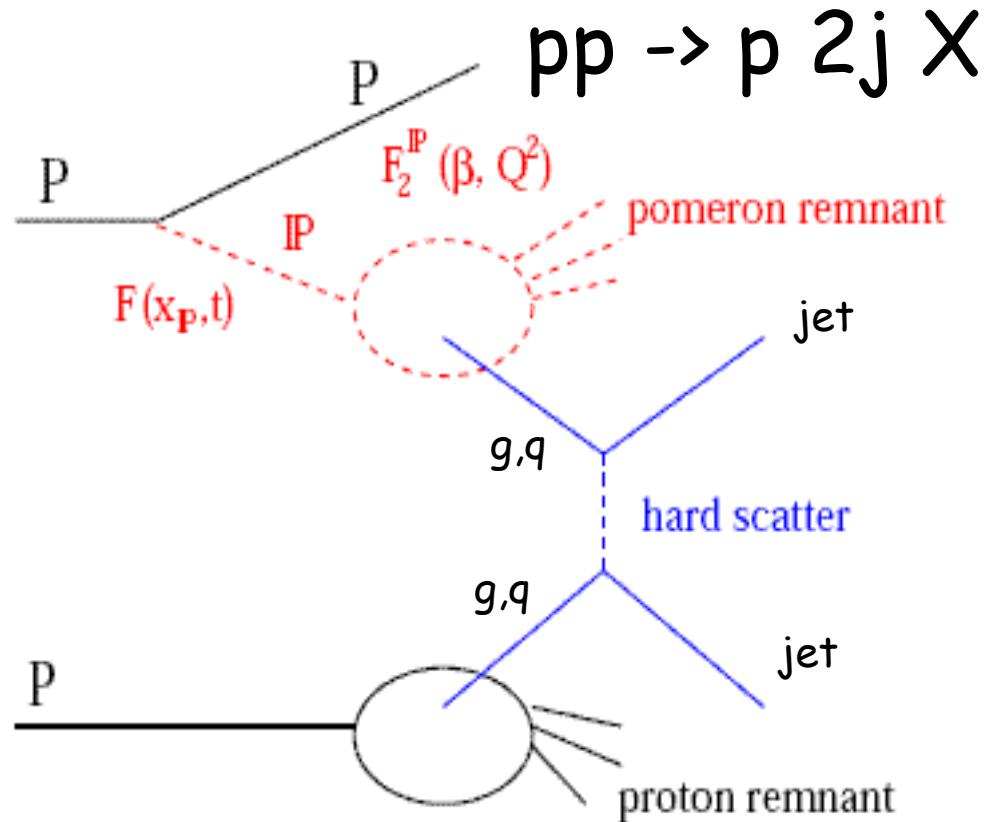


Hard single diffraction study
 $pp \rightarrow p\ 2j\ X$
(with POMWIG1.2 + FAMOS1.4.0)

A.Sobol and G.Snow (University of Nebraska, Lincoln)

Subject of study



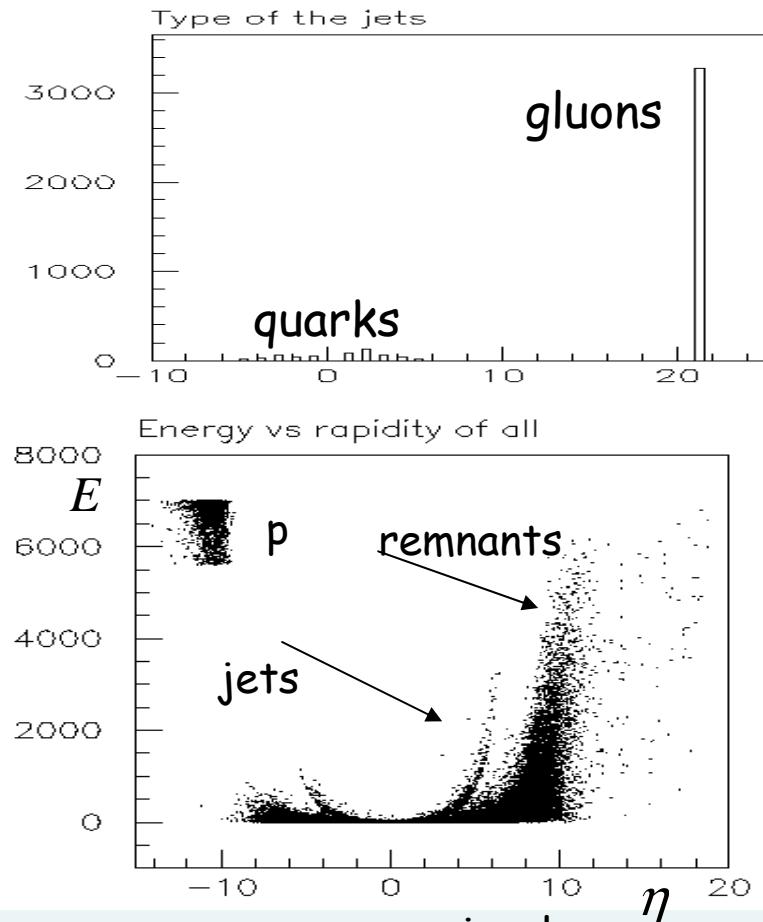
$$\sigma_{HSD} = 1.7 \text{ mb}$$

$$\sigma_{ND} = 6.2 \text{ mb}$$

HSD 2 jets prod. / POMWIG 1.2

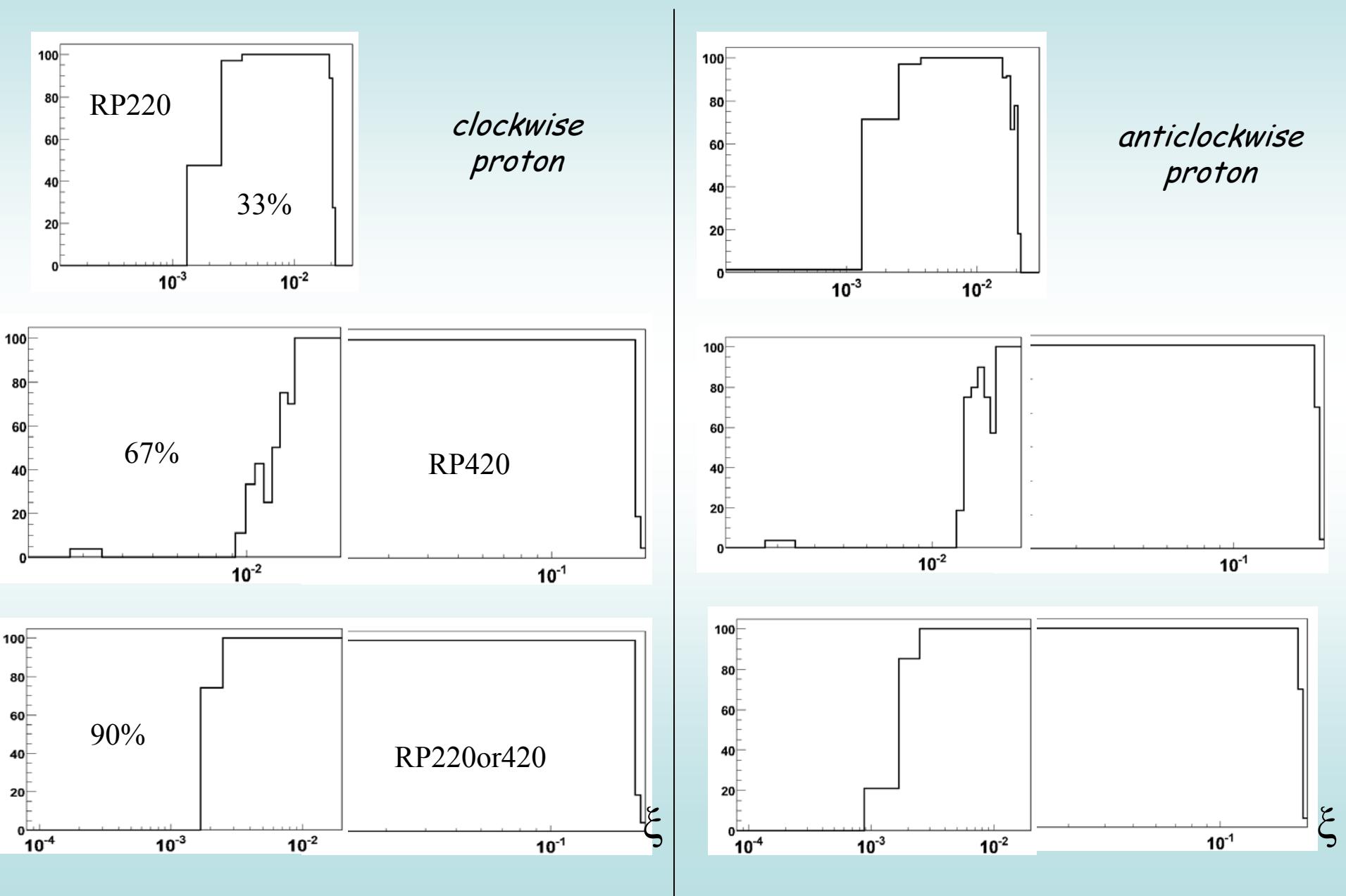
Non-diffractive 2 jets prod./ HERWIG 6.5 signal background

The process is noted by **2 jets and rapidity gap** between outgoing proton and other products of the reaction. These 2 features can be used for effective suppression of the non-diffractive jets production



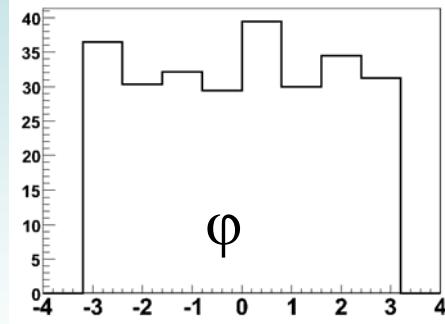
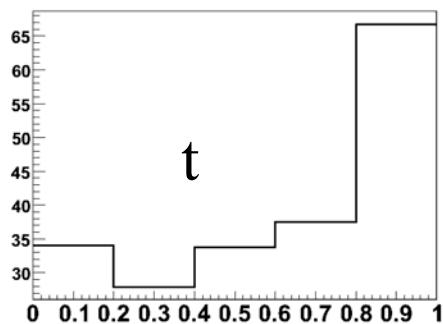
RPs acceptances: ξ (FAMOS1.4.0)

for diffractive protons produced in $pp \rightarrow p2jX$ reaction

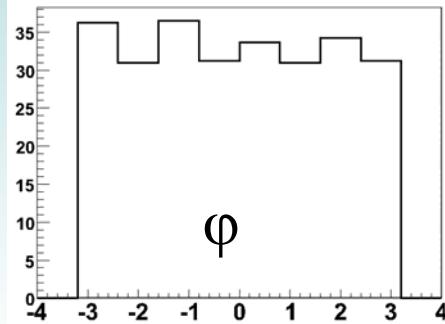
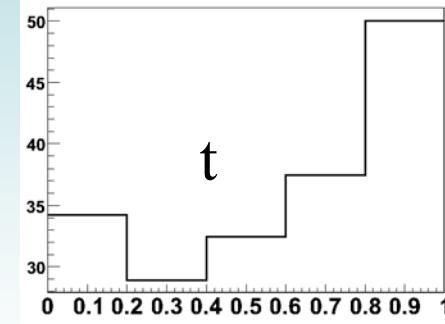


RPs acceptances: t , φ (FAMOS1.4.0)

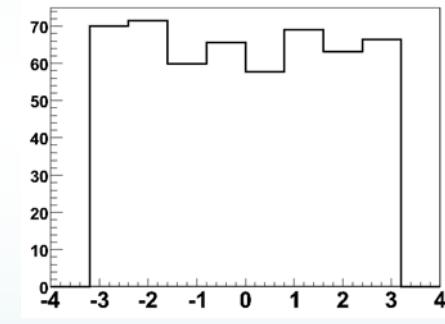
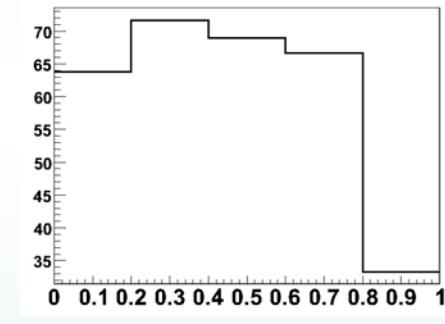
*clockwise
proton*



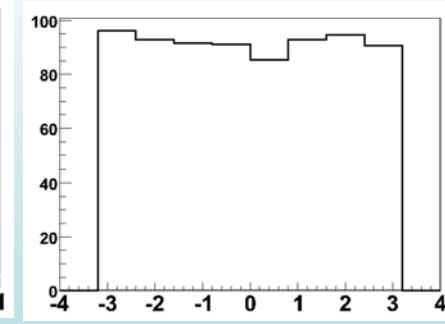
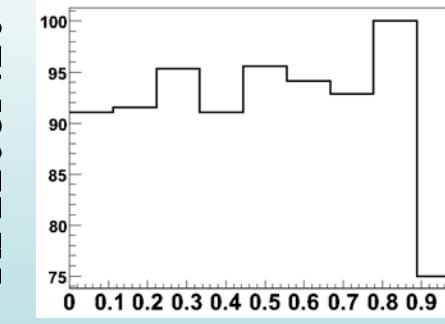
RP220



RP420



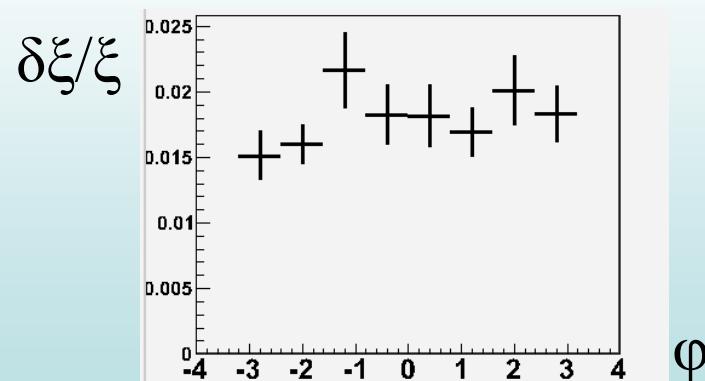
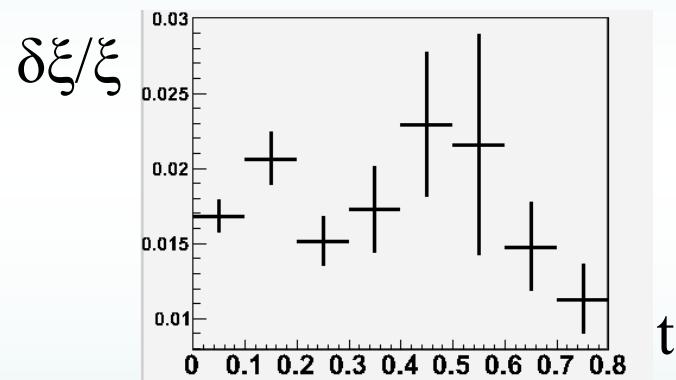
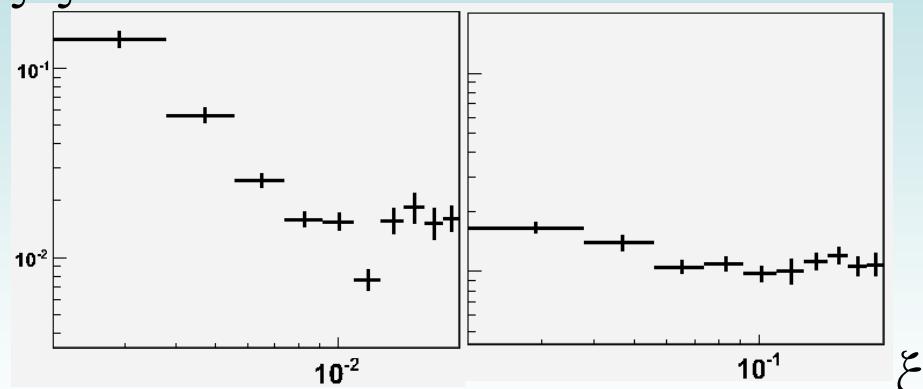
RP220or420



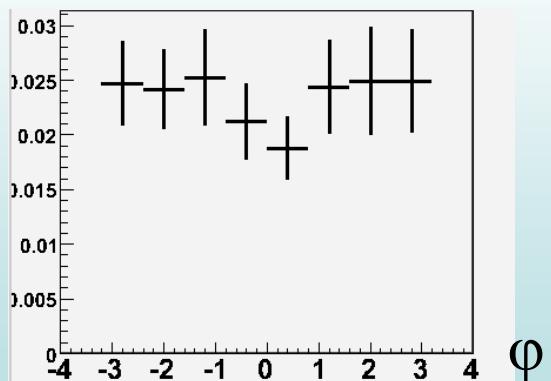
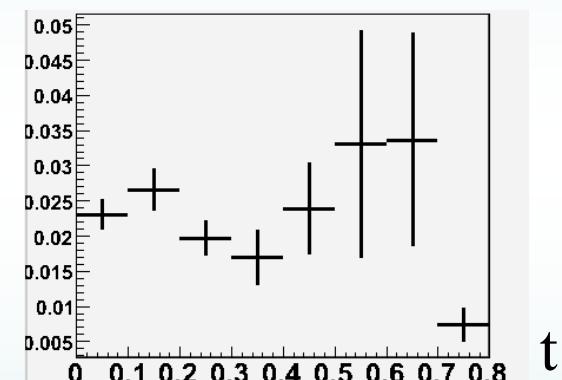
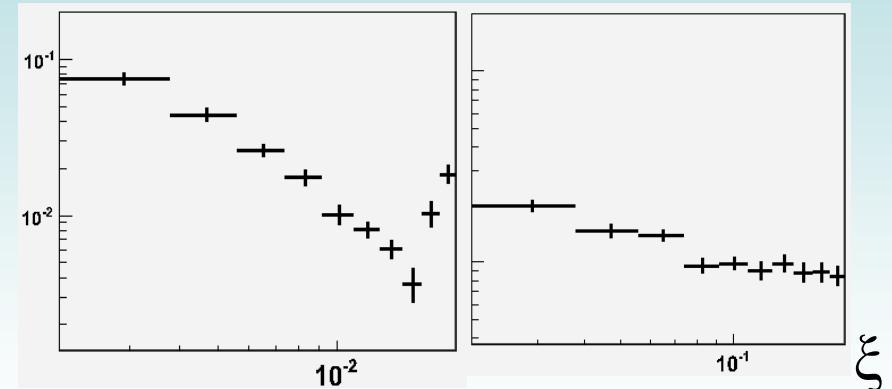
RPs resolution: $\delta\xi/\xi$ (FAMOS1.4.0)

$\delta\xi/\xi$

clockwise proton



anticlockwise proton

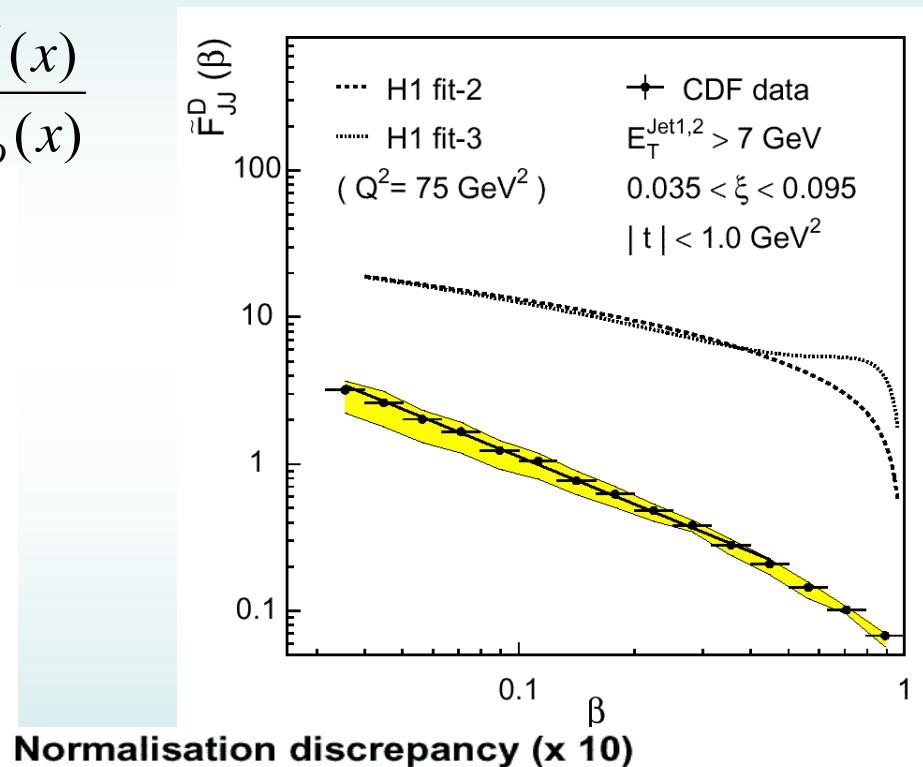
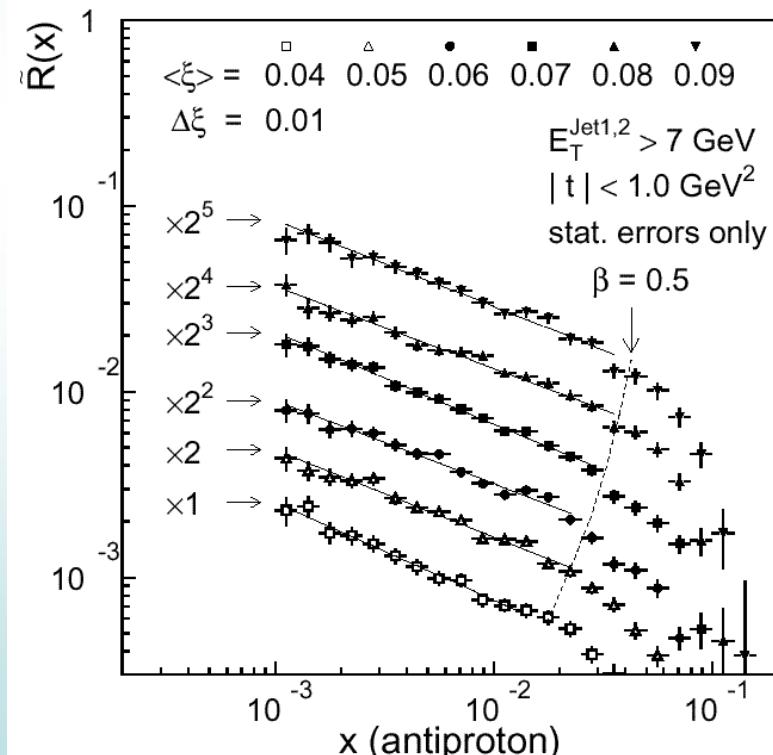


How to calculate diffractive structure function of proton with RPs

$$F = F(t, Q^2, \beta, \xi), \beta = \frac{x}{\xi}, x = x_{Bjorken}$$

$$x = \frac{1}{\sqrt{s}} \sum_{jets} E_T^j e^{\eta_i}$$

In LO QCD $R(x) = \frac{N_D^{jj}}{N_{ND}^{jj}}(x) = \frac{F_D^{jj}(x)}{F_{ND}^{jj}(x)}$

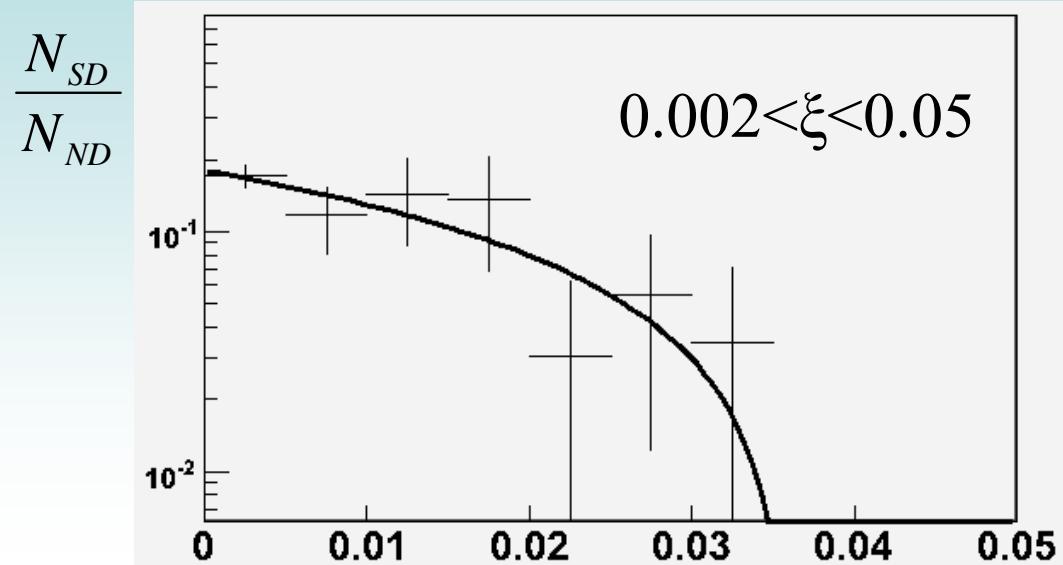


Normalisation discrepancy (x 10)
→ Hard scattering factorisation violated in $p\bar{p}$

$$\sigma \sim F^D(\beta, Q^2, \xi, t) \otimes \hat{\sigma}_{jj} \otimes |S|^2$$

gap survival probability

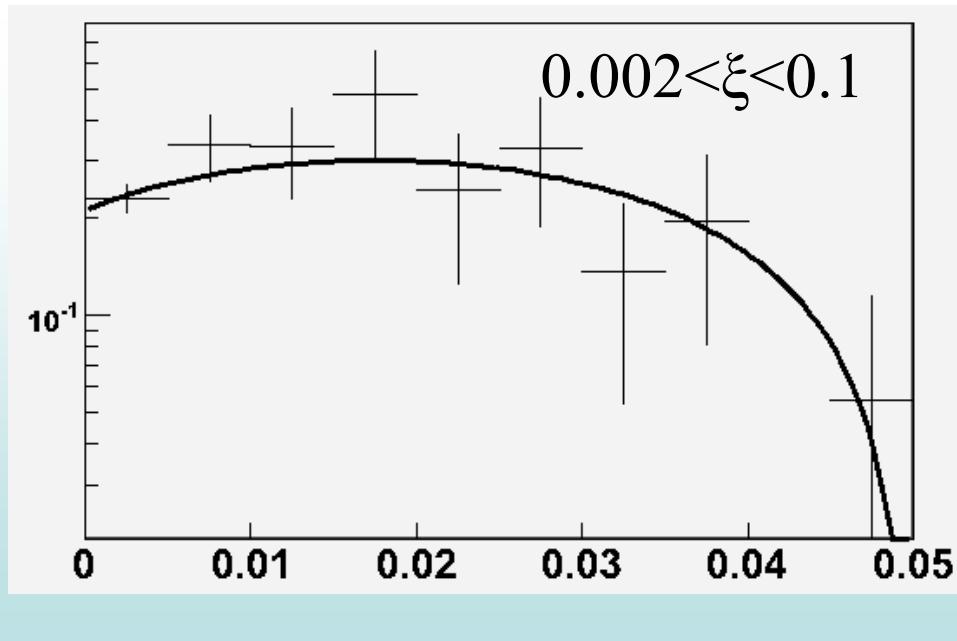
Ratio Nsd/Nnd vs x



$E_t > 20 \text{ GeV}$
 $|t| < 1 \text{ GeV}^2$

only stat. errors

10^{-5} fb^{-1}



x